

$$\mathbf{E}_R = \tilde{E}_{0R} e^{i(k_R z - \omega_R t)} \hat{n}_R$$

$$\mathbf{E}_T = \tilde{E}_{0T} e^{i(k_T z - \omega_T t)} \hat{n}_T$$

For our reflected and transmitted waves, we found that $\omega_R = \omega_T = \omega_I$.
What can we now conclude about the *wavelengths* of the transmitted and reflected waves?

- A. $\lambda_R = \lambda_T = \lambda_I$
- B. $\lambda_R = \lambda_T \neq \lambda_I$
- C. $\lambda_R \neq \lambda_T = \lambda_I$
- D. $\lambda_R = \lambda_I \neq \lambda_T$
- E. Need more information

For light at normal incidence, we found:

$$R = \frac{(n_1 - n_2)^2}{(n_1 + n_2)^2}, \quad T = \frac{4n_1n_2}{(n_1 + n_2)^2}$$

What gives a large transmission of light at normal incidence?

- A) When $v_1 \gg v_2$
- B) When $v_2 \gg v_1$
- C) When v is very *different* in the two media
- D) When v is nearly the *same* in the two media
- E) More than one of these

For light at normal incidence, we found:

$$R = \frac{(n_1 - n_2)^2}{(n_1 + n_2)^2}, \quad T = \frac{4n_1n_2}{(n_1 + n_2)^2}$$

What gives a large reflection of light at normal incidence?

- A) When $v_1 \gg v_2$
- B) When $v_2 \gg v_1$
- C) When v is very *different* in the two media
- D) When v is nearly the *same* in the two media
- E) More than one of these

In the case where medium 1 had a very slow wave velocity and medium 2 had a much higher wave velocity, we found that R approaches 1 and T approaches 0. In the opposite case, where the wave velocity in medium 1 is much higher than that in 2, we expect

- A. R approaches 1, T approaches 0
- B. R approaches 0, T approaches 1
- C. R approaches $1/2$, T approaches $1/2$
- D. Not enough information to tell

Reflection across contexts

Mechanical waves (strings, geological imaging)

Electronics

Quantum mechanics

Fiber optics