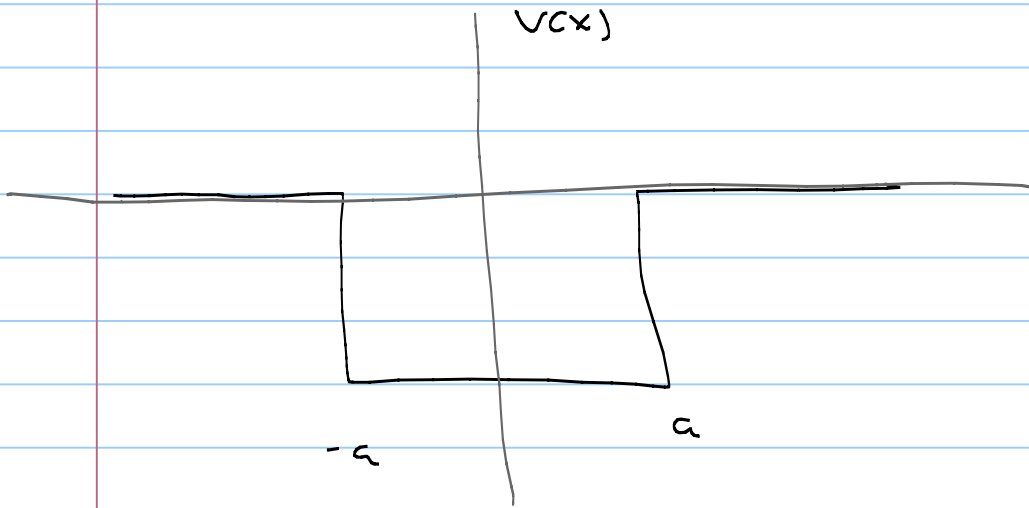


2_20_08

Note Title

2/20/2008



$$x < -a \quad \psi(x) = Ae^{ikx} + Be^{-ikx}$$

where $k = \sqrt{2mE} / \hbar$

$$-a < x < a \quad V(x) = -V_0$$

$$\psi(x) = C \cos(\ell x) + D \sin(\ell x)$$

where $\ell = \sqrt{2m(E+V_0)} / \hbar$

$x > a$ (no incoming wave from $+\infty$)

$$\psi(x) = F e^{ikx}$$

4 BC

$$1 \quad A e^{-ika} + B e^{ika} = -C \sin(ka) + D \cos(ka)$$

$$2 \quad ik [A e^{-ika} - B e^{ika}] = k [C \cos(ka) + D \sin(ka)]$$

$$3 \quad C \sin(ka) + D \cos(ka) = F e^{ika}$$

$$4 \quad k [C \cos(ka) - D \sin(ka)] = ik F e^{ika}$$

After lots of Algebra

$$B = \frac{i \sin(2ka) (k^2 - k'^2) F}{2kk'}$$

$$F = \frac{e^{-2ika} A}{\cos(2ka) - i (k^2 + k'^2) / 2kk' \sin(2ka)}$$

$$\Rightarrow T^{-1} = 1 + \frac{V_0}{4E(E+V_0)} \sin^2\left(\frac{2a}{\hbar} \sqrt{2m(E+V_0)}\right)$$