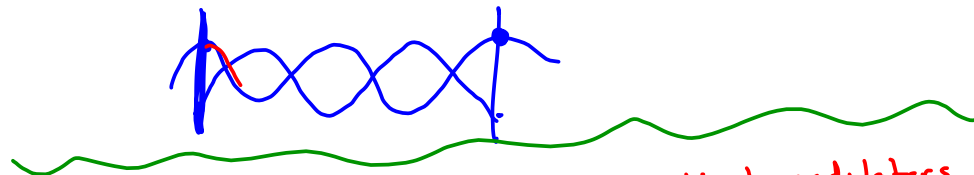


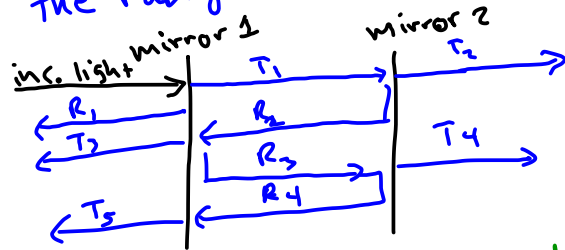
Resonators: Resonance means that you have a wave that bounces back and forth in some way where the subsequent reflections constructively interfere.

Physics 1, w/ waves on a string, what was the resonance condition for both ends fixed. $L_{\text{string}} = \frac{n\lambda}{2}$ $n=1,2,3,\dots$



Resonators w/ Light. Lasers, optical modulators, interferometry, switch

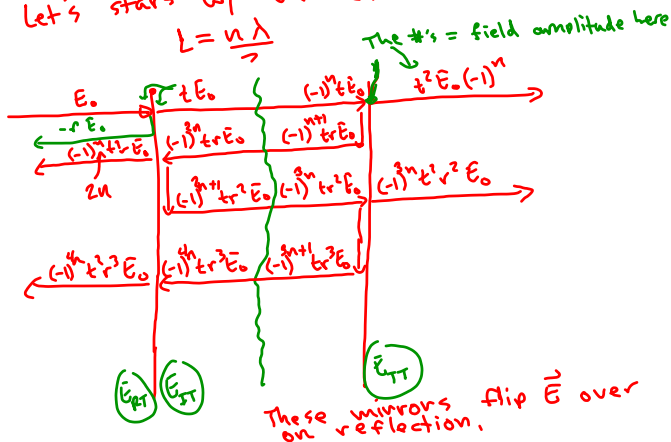
We will talk about the simplest resonator, the Fabry-Pérot Resonator (slab geometry).



Amplitude of the incident light is E_0 .
 Let's say there's no loss in the mirrors
 $\Rightarrow R+T=1$ $R = \frac{I_R}{I_0} = \frac{E_R^2}{E_0^2} \Rightarrow r = \sqrt{R} = \frac{E_R}{E_0}$
 $t = \sqrt{T} = \frac{E_T}{E_0}$

Let's start w/ on resonance.

$$L = n\lambda$$



⇒ solve for series solns for r_{tot}, t_{tot} ,
 $E_{inside, tot}$.

$$E_{RT} = -rE_0 + (-1)^{2n} t^2 r E_0 + (-1)^{4n} t^2 r^3 E_0 + \dots$$

← If $n = \text{int} \Rightarrow 1$.

$$= -rE_0 + t^2 r E_0 \sum_{i=0}^{\infty} r^{2i}$$

$$= -rE_0 + t^2 r E_0 \frac{1}{1-r^2}$$

$$\left\{ \sum_{n=0}^{\infty} x^n = \frac{1}{1-x} \right\}$$

$$= -rE_0 + rE_0 = 0 \Rightarrow E_{RT} = 0 \text{ on resonance}$$

$$E_{TT} = E_0 \sum_{k=0}^{\infty} (-1)^{n(2k+1)} t^2 r^{2k} = \pm E_0 t^2 \sum_{k=0}^{\infty} (r^2)^k$$

$$= \pm \frac{t^2}{1-r^2} = 1$$

$$\Rightarrow E_{TT} = E_0 \text{ on resonance}$$

$$\Rightarrow T_T = 1.$$

$$E_{IT} = E_0 t \sum_{i=0}^{\infty} r^i$$

$$= \frac{E_0 t}{1-r}$$

$$= \frac{E_0 \sqrt{1-R}}{1-\sqrt{R}}$$

{ assuming $n = \text{odd}$,
 we pick where
 all terms add
 giving an anti-node.

We've talked about on resonance,
and off resonance a little.

So what about all those places in
between.

Let's start with the answer.

